

Final Exam: Chapter 6 Review

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Score: 0/14 Answered: 0/14

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[Questions](#)

● Question 1

 0/1 pt

Given the equation $y = 3 \sin \left(\frac{5\pi}{4}x + \frac{25\pi}{4} \right) + 4$

The amplitude is:

The period is:

The horizontal shift is: 5 units to the

 Left

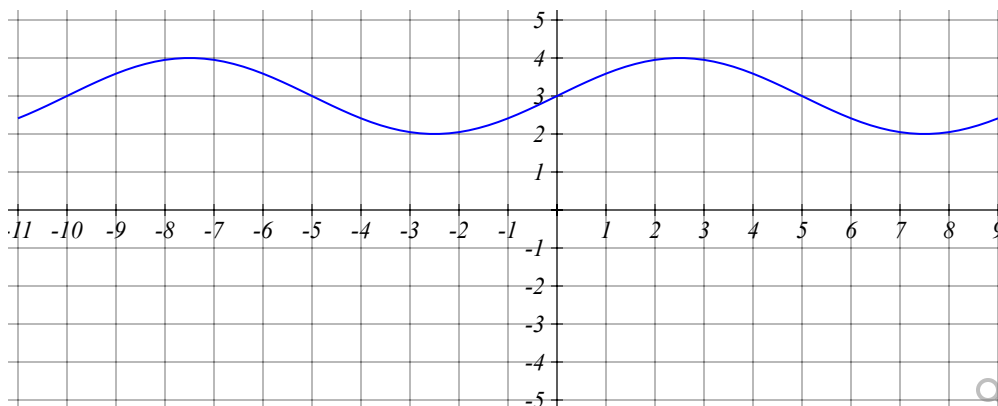
The midline is: $y =$

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● Question 2

 0/1 pt

Find a function of the form $y = A \sin(kx) + C$ or $y = A \cos(kx) + C$ whose graph matches the function shown below:



Leave your answer in exact form; if necessary, type pi for π .

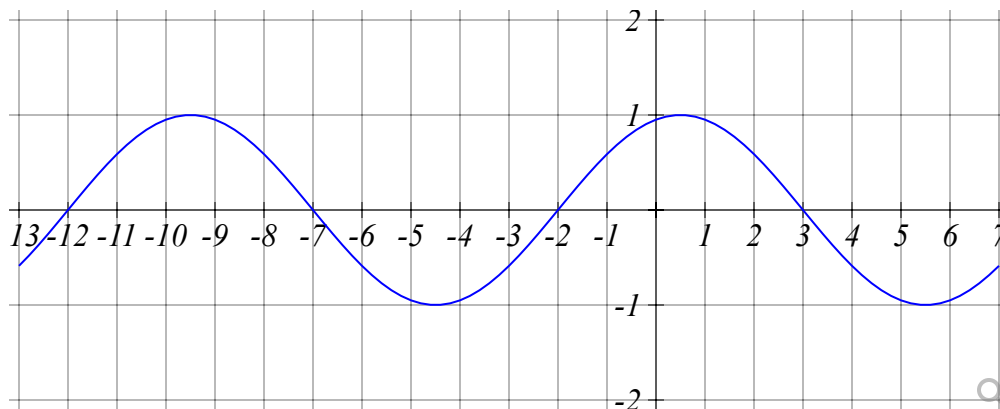
$y =$ $y = \sin \left(\frac{\pi}{5}x \right) + 3$

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● Question 3

0/1 pt 3 99



The curve above is the graph of a sinusoidal function. It goes through the points $(-7, 0)$ and $(3, 0)$. Find a sinusoidal function that matches the given graph. If needed, you can enter $\pi=3.1416\dots$ as 'pi' in your answer, otherwise use at least 3 decimal digits.

$$f(x) = \text{[input box]}$$

$$\sigma -1 \cdot \sin\left(\left(\frac{\pi}{5}\right) \cdot (x - 3)\right)$$

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● Question 4

0/1 pt 3 99

A ferris wheel is 30 meters in diameter and boarded from a platform that is 5 meters above the ground. The six o'clock position on the ferris wheel is level with the loading platform. The wheel completes 1 full revolution in 4 minutes. The function $h = f(t)$ gives your height in meters above the ground t minutes after the wheel begins to turn. Write an equation for $h = f(t)$.

$$f(t) = \text{[input box]} \quad \sigma -15 \cdot \cos\left(\frac{\pi}{2} \cdot t\right) + 20$$

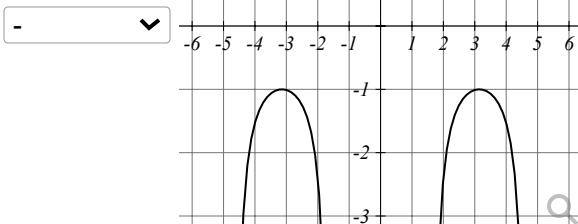
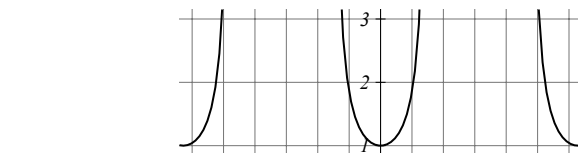
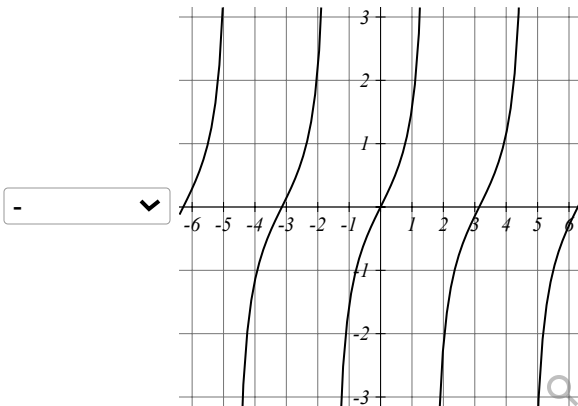
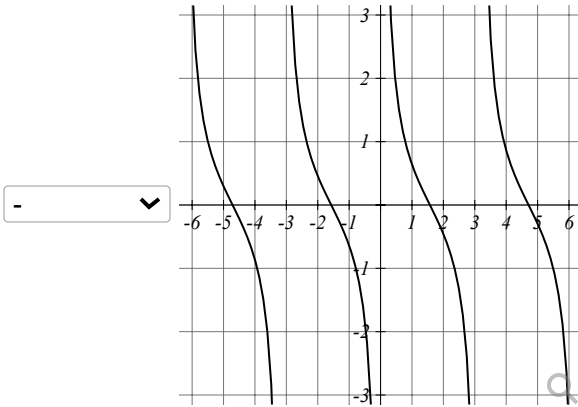
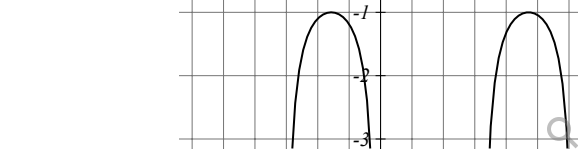
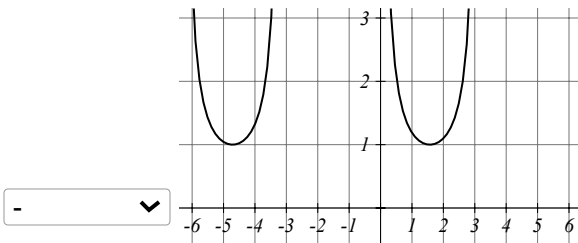
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● Question 5

0/1 pt 3 99

Match each graph with its equation. Not all equations will be used.



$y = \csc(x)$
 $y = \cot(x)$
 $y = \tan(x)$
 $y = \sec(x)$

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● Question 6

0/1 pt 3 99

Given the equation $y = 6 \csc\left(\frac{4\pi}{3}x - \frac{32\pi}{3}\right)$

The period is: 1.5

The horizontal shift is: 8 units to the

Right

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● Question 7

0/1 pt 3 99

Find all solutions to $2 \sin(\theta) = -1$ on the interval $0 \leq \theta < 2\pi$

$\theta =$ $\frac{7\pi}{6}, \frac{11\pi}{6}$

Give your answers as exact values, as a list separated by commas.

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● Question 8

0/1 pt 3 99

Find all solutions to $2 \cos(\theta) = \sqrt{2}$ on the interval $0 \leq \theta < 2\pi$

$\theta =$ $\frac{\pi}{4}, \frac{7\pi}{4}$

Give your answers as exact values, as a list separated by commas.

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● Question 9

✔ 0/1 pt ↻ 3 ↺ 99

Solve $\cos(x) = 0.29$ on $0 \leq x < 2\pi$

There are two solutions, A and B, with $A < B$

A = ♂ 1.2765694890459

B = ♂ 5.0066158181337

Give your answers accurate to 3 decimal places

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● Question 10

✔ 0/1 pt ↻ 3 ↺ 99

Solve $\sin(x) = -0.84$ on $0 \leq x < 2\pi$

There are two solutions, A and B, with $A < B$

A = ♂ 4.1388758759616

B = ♂ 5.2859020848078

Give your answers accurate to 3 decimal places

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● Question 11

✔ 0/1 pt ↻ 3 ↺ 99

Solve $5 \sin(5x) = 3$ for the two smallest positive solutions A and B, with $A < B$

A = ♂ 0.12870022175866

B = ♂ 0.4996183089593

Give your answers accurate to at least two decimal places.

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● Question 12

✔ 0/1 pt ↻ 3 ↺ 99

Solve $7 \cos(5x) = 3$ for the smallest positive solution.

Give your answer accurate to at least two decimal places.

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● Question 13

0/1 pt 3 99

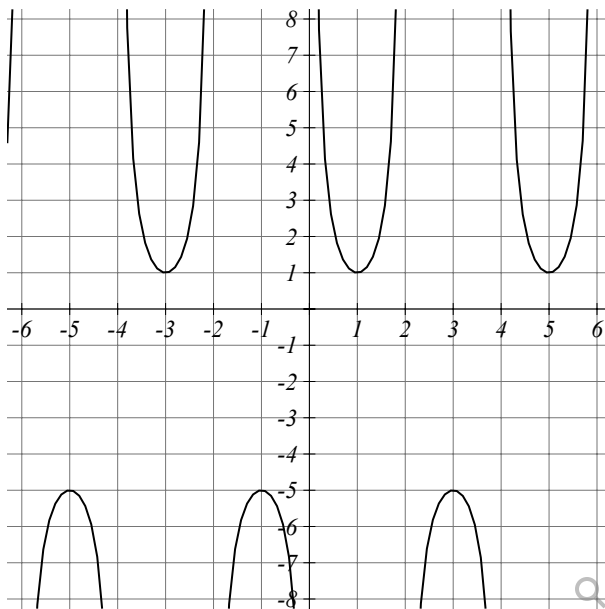
Outside temperature over a day can be modeled as a sinusoidal function. Suppose you know the high temperature for the day is 84 degrees and the low temperature of 46 degrees occurs at 6 AM. Assuming t is the number of hours since midnight, find an equation for the temperature, D , in terms of t .

$D(t) =$

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● Question 14

0/1 pt 3 99



Write an equation for the graph above.

$f(x) =$

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